



Active Online Visual-Inertial Navigation and Sensor Calibration via BSP and Factor Graph Based Incremental Smoothing

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Introduction - Autonomous Navigation

High accuracy requirements in GPS-deprived environments

Space Exploration



Underwater Exploration



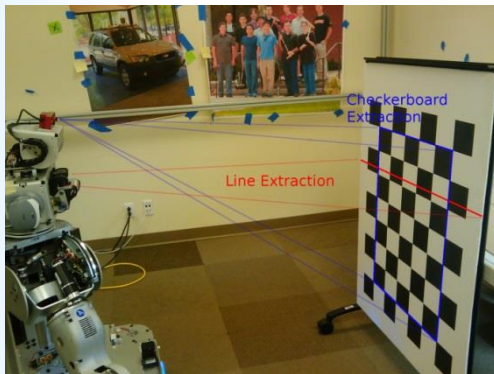
Military



Mine/Tunnel Exploration



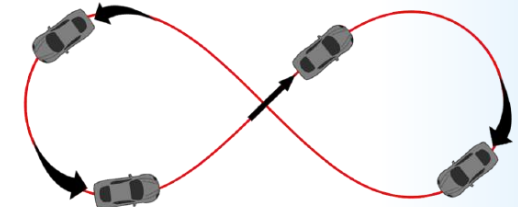
Relying on “local” sensors - requires calibration!



Camera offline calibration



Inertial sensor offline calibration



Inertial Sensor online calibration
(pre-determined maneuvers)



Related Work

- **Belief Space Planning (BSP)**

[V. Indelman, 2013], [G. A. Hollinger, 2014], [V. Indelman, 2015]

- Performance improvement in SLAM
- Not considering IMU measurements

- **Online Calibration**

[V. Indelamn, 2012], [J. Maye, 2016]

- SLAM considering IMU and extrinsic parameters calibration
- Calibration is not considered while planning

- **Planning Considering active Calibration**

- Extrinsic parameters calibration [W. Achtelik, 2013], [D.J. Webb, 2014], [J. Maye, 2016]
- IMU calibration assuming GPS availability [K. Hausman, 2016]

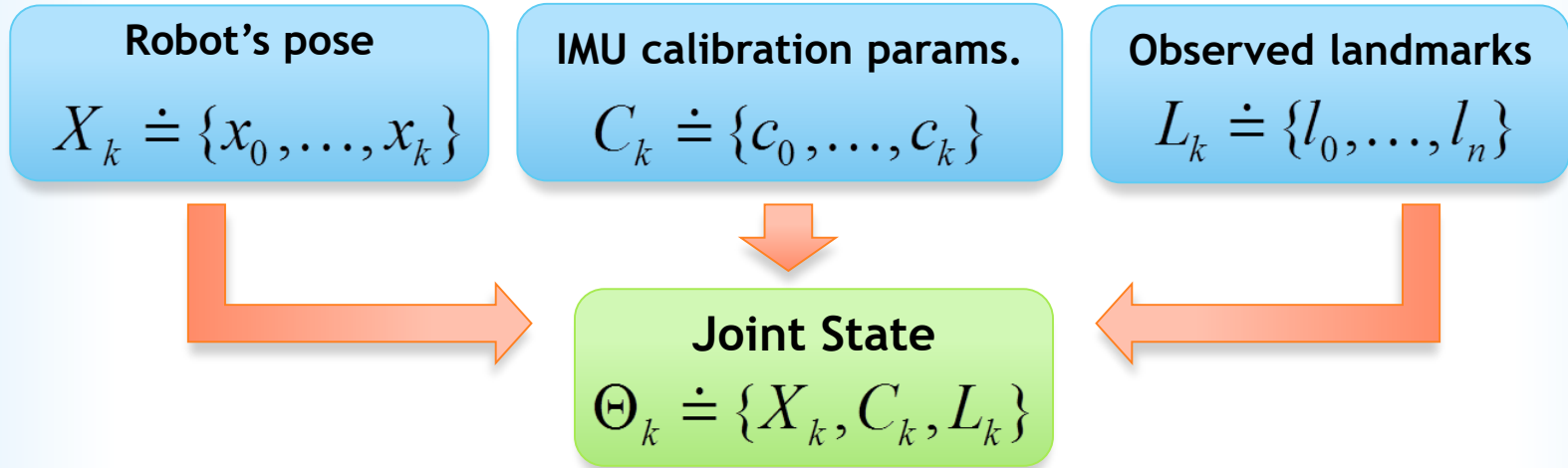


Contributions

- Online active calibration of IMU in GPS-deprived environments
- Incorporating the concept of pre-integrated IMU into BSP for longer planning horizons

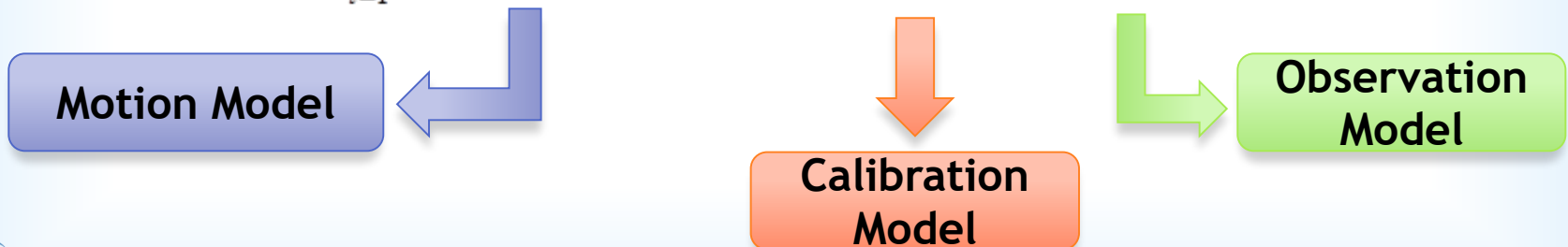


Problem Formulation



$$b(\Theta_k) = p(\Theta_k | Z_{1:k}, U_{0:k-1})$$

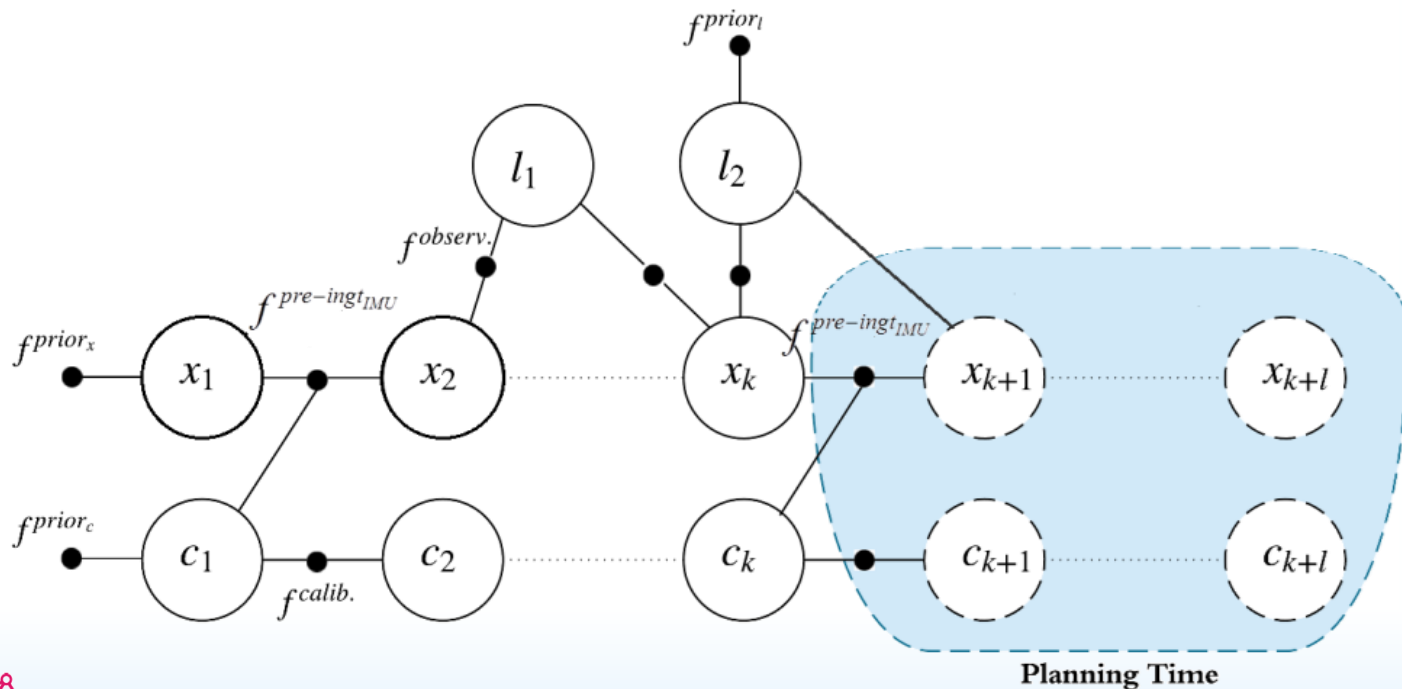
$$\propto \text{priors} \cdot \prod_{i=1}^k p(x_i | x_{i-1}, c_{i-1}, z_{i-1}^{IMU}) \cdot p(c_i | c_{i-1}) \cdot p(z_i | \Theta_i^o)$$



Non-Myopic BSP using Factor Graph

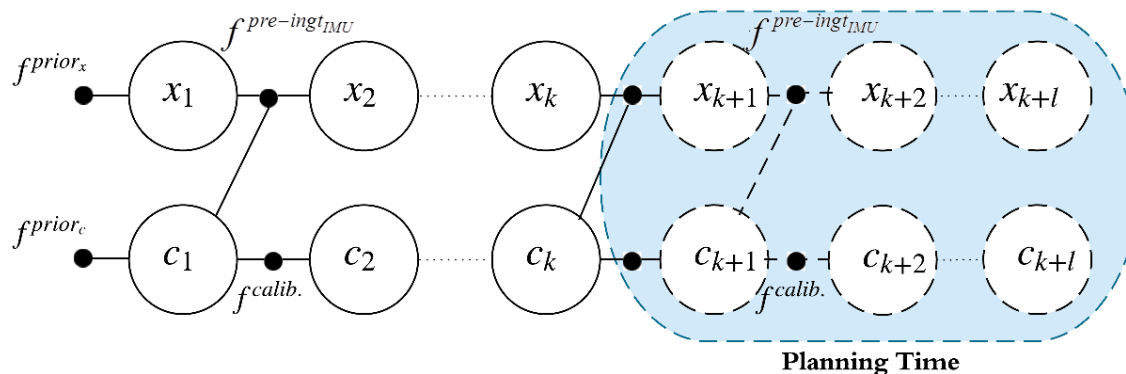
- Efficient representation of the future belief, with planning horizon of l steps:

$$\begin{aligned}
 b(\Theta_{k+l}) &\doteq p(\Theta_{k+l} \mid Z_{0:k+l}, U_{0:k+l-1}) \\
 &= \eta b(\Theta_{k+l-1}) p(x_{k+l} \mid x_{k+l-1}, u_{k+l-1}, c_{k+l-1}) p(c_{k+l} \mid c_{k+l-1}) p(z_{k+l} \mid \Theta_{k+l}^o)
 \end{aligned}$$



Pre-Integrated IMU Factors

- Challenge:
 - High rate IMU measurements
 - Factor graph is updated at high rate
- The Solution:
 - Integrate multiple IMU measurements into a **single factor**
 - Add the factor at the frequency of slower sensors (e.g. camera)
 - Previous work uses this concept within inference only



[T. Lupton, 2012]
[V. Indelman, 2013]

Active Online Calibration

- Cost function - evaluates a single step update

$$cf(b(\Theta_{k+l}), u_{k+l}) = \underbrace{\|X_{k+l}^* - X^{Goal}\|_{M_\Theta}}_{\text{penalizes reaching the goal}} + \underbrace{\|\zeta(u_{k+l})\|_{M_u}}_{\text{penalizes control actions}} + \underbrace{tr(M_\Sigma \Sigma_{k+l} M_\Sigma^T)}_{\text{penalizes joint state uncertainty}}$$

- The overall cost function, over a planning horizon of l steps:

$$J_k(b(\Theta_{k+L}), U_{k:k+L-1}) \doteq \sum_{l=0}^{L-1} \mathbb{E}(cf_l(b(\Theta_{k+l}), u_{k+l})) + \mathbb{E}(cf_L(b(\Theta_{k+L})))$$

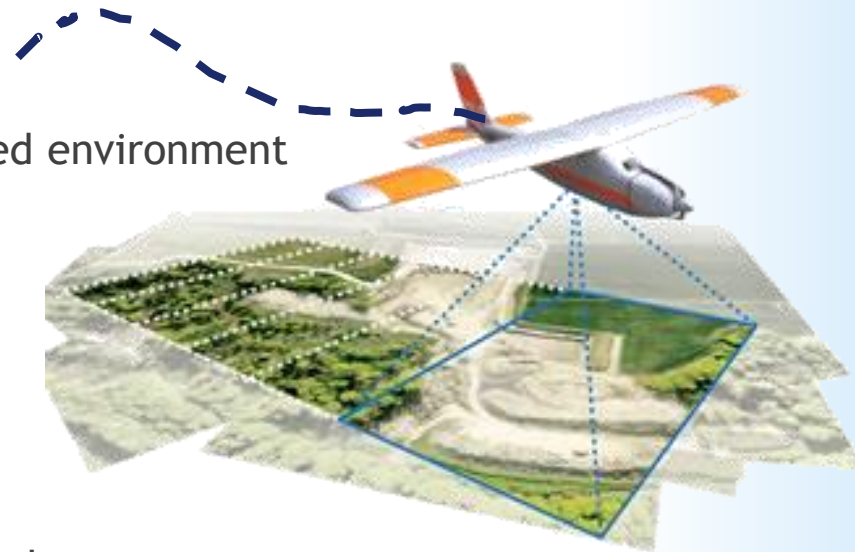
- Optimal control sequence:

$$U_{k:k+L-1}^* = \underset{U_{k:k+L-1}}{\operatorname{argmin}} J_k(b(\Theta_{k+L}), U_{k:k+L-1})$$



Results - Scenario

- Aerial robot
 - Inertial Measurements Unit (IMU)
 - Monocular downward-looking camera
- Navigation in a partially unknown, GPS-deprived environment
 - Randomly scattered landmarks
 - Goal in a “dark corridor”
- Discrete action space
 - Shortest path to goal
 - Shortest paths to nearby clusters of landmarks
- MATLAB simulation using GTSAM library
- Assuming heading angle control only



IMU Calibration Observability

Theorem:

[Achtelik13icra]

Full observability requires the robot to undergo rotation and acceleration on at least two IMU axes

➔ Heading angle control is not sufficient for full IMU calibration

Alternative:

Using a priori known regions with different levels of uncertainty to calibrate accelerometers

- Case study shows
 - To calibrate the accelerometers, must go through a region with low level of uncertainty
 - Regions with insufficient level of uncertainty would only affect the position

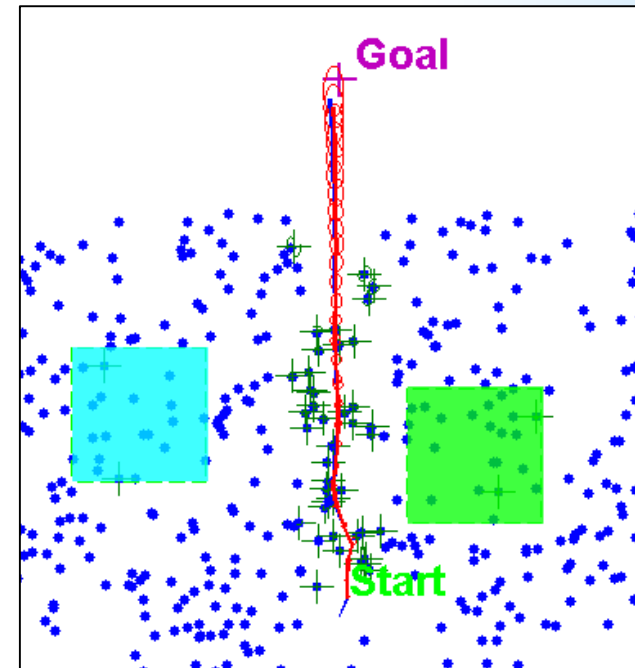
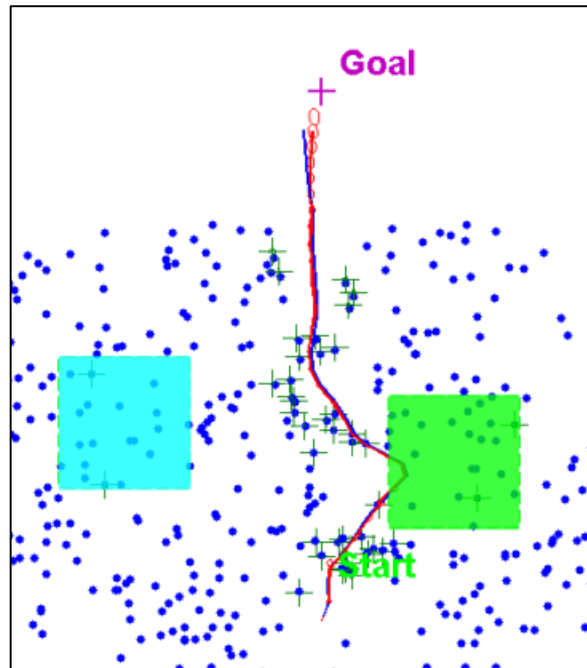
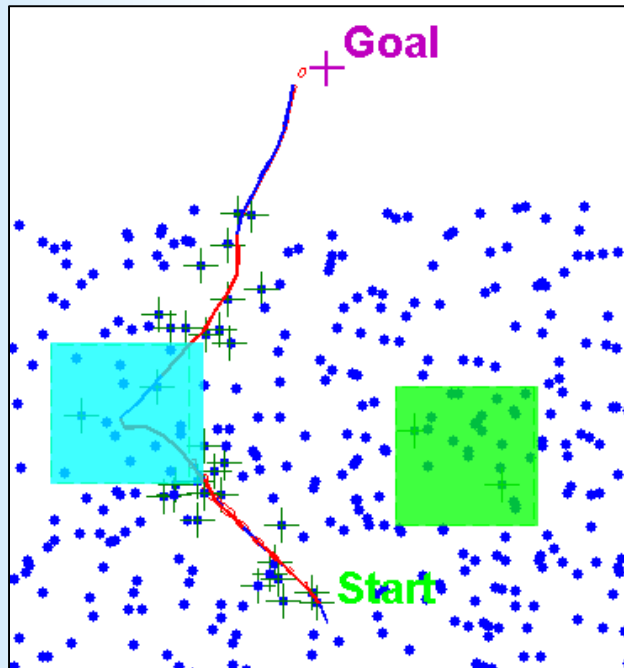


Results - Comparison

BSP-Calib

BSP

Shortest-Path



$$cf = \left\| X_{k+l}^* - X^{Goal} \right\|_{M_{\Theta}} + \left\| \zeta(u_{k+l}) \right\|_{M_u} + tr \left(M_{\Sigma} \Sigma_{k+l} M_{\Sigma}^T \right)$$

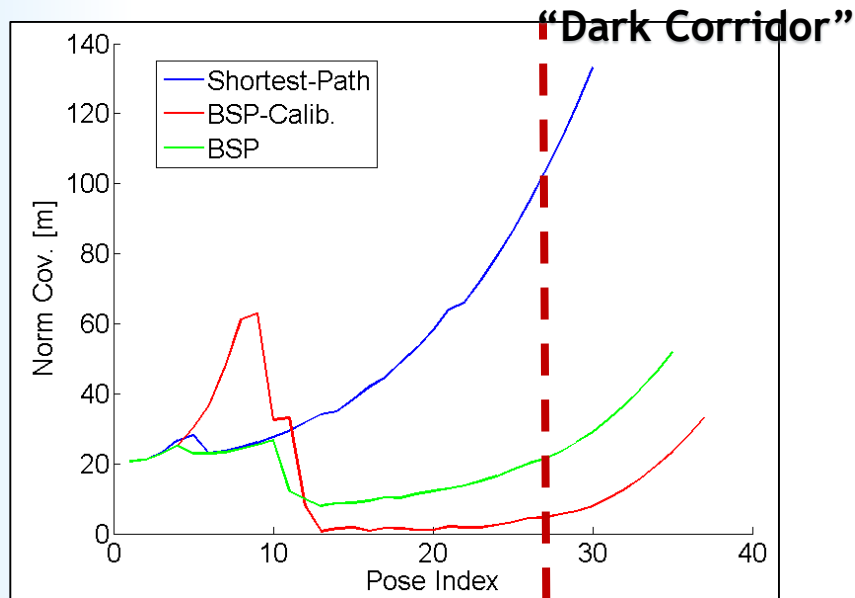
Uncertainty = 10m

Uncertainty = 1e-5m

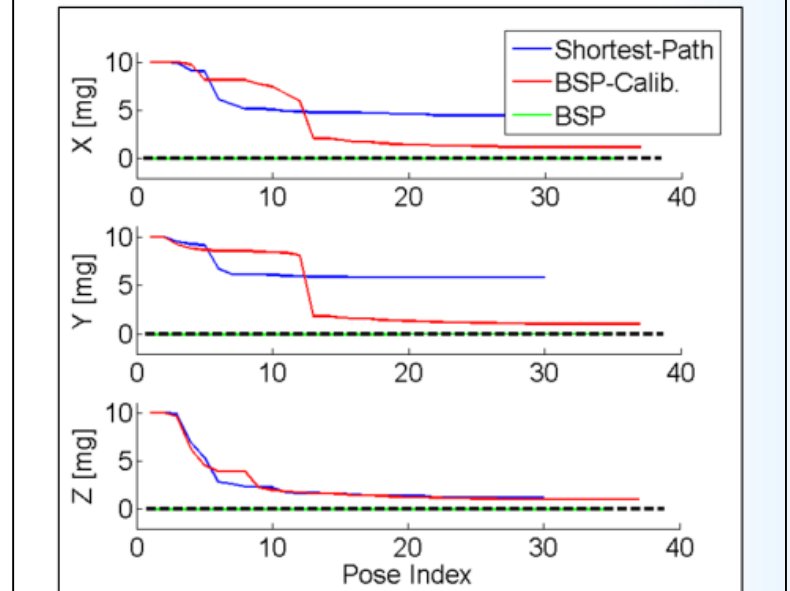
○ - Covariance

Results - Performance Comparison

Position Covariance



Accel. Calibration Covariance



Thank You

