

Motivation

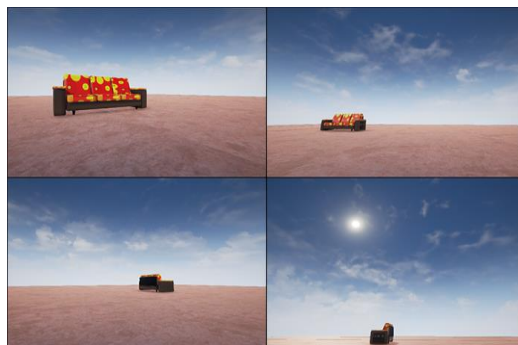
- State information recovery from stochastic sensor measurements is a fundamental task in robotics, challenged by a complex relation between state and measurements.
- Examples:
 - Simultaneous localization and mapping (SLAM)
 - Autonomous navigation/cars
 - Informative planning, active sensing
 - State transition in reinforcement learning

Related Work

- Measurement model is typically treated as given or hand-engineered
- Gaussian density assumption prevails, limiting state inference accuracy
- Images are handled through landmark detection/matching using hand-engineered feature detectors (e.g. SIFT). Unreliable due to mistakes in data association and uses only part of image information
- Recently more methods learn measurement likelihood in a supervised way via DL

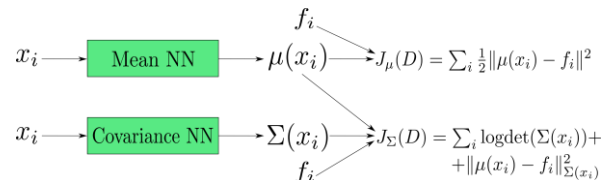
Objective

- Infer robot pose \mathbf{x} from odometry and image measurements by first learning image (representation) \mathbf{f} likelihood
 - \mathbf{f} is the output of a pre-trained CNN classifier
- Challenges:
 - \mathbf{x} is unknown and only partially observed through measurements \mathbf{f}
 - Likelihood $P(\mathbf{f}|\mathbf{x})$ is very intricate with both first and second moments spatially changing
 - Opposite conditional $P(\mathbf{x}|\mathbf{f})$ is multimodal
- Contributions:
 - We learn likelihood from collected data via another NN
 - We combine it within Bayesian inference and infer robot's trajectory
 - No data association is required in our approach

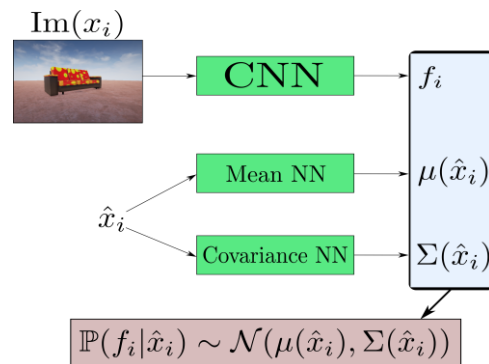


Key Idea

- Pre-deployment stage:
 - Image (feature representation) measurement likelihood $P(\mathbf{f}|\mathbf{x})$ is learned from training dataset via DL:

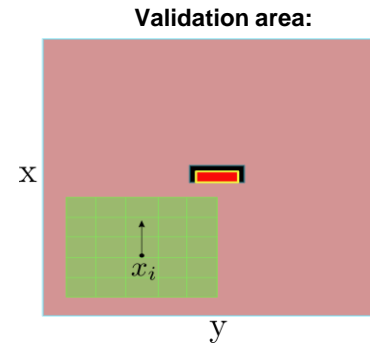
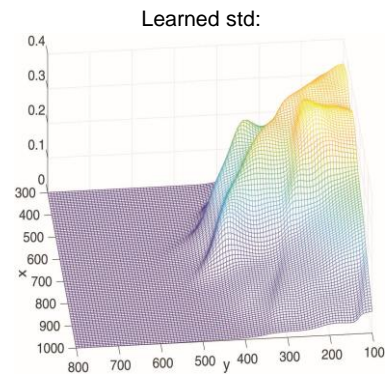
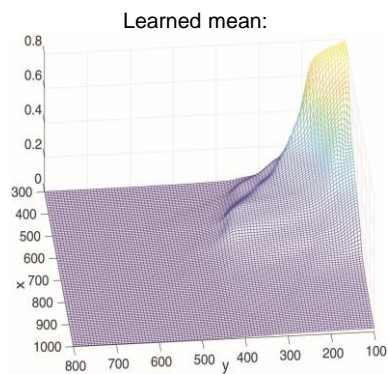
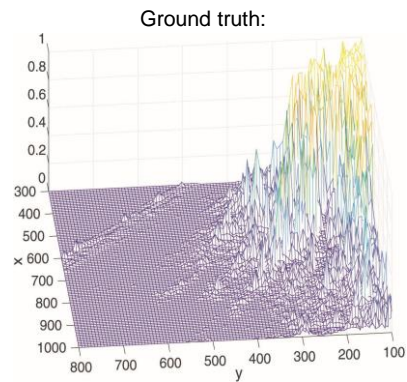


- Deployment stage:
 - Robot trajectory is estimated via Bayesian inference using the learned likelihood:

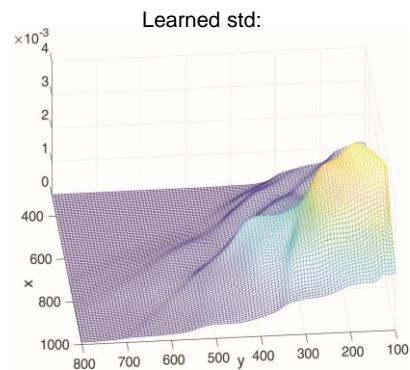
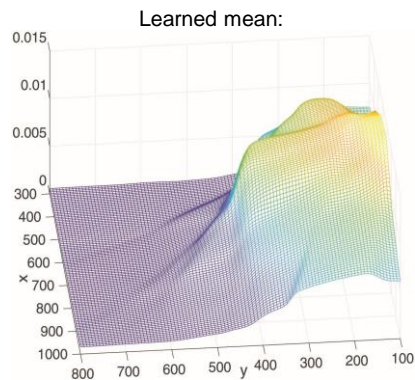
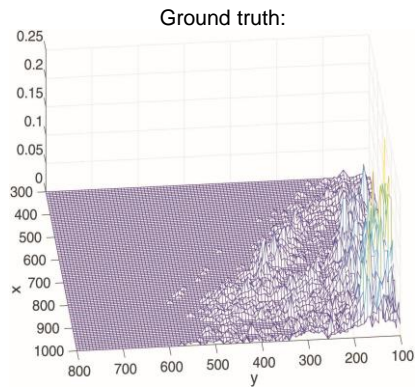


Learned Likelihood

- “park bench” feature:

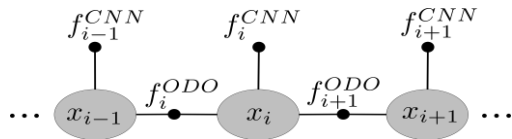


- “rocking chair” feature:



Bayesian Formulation for Pose Estimation

- Belief over trajectory:



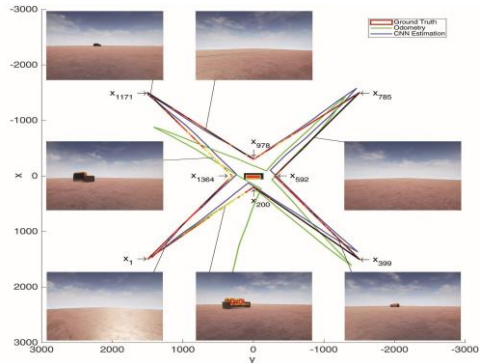
$$\mathbb{P}(X_k | \text{history}) \propto \prod_{j=1}^{n_f} f^j(X^j)$$



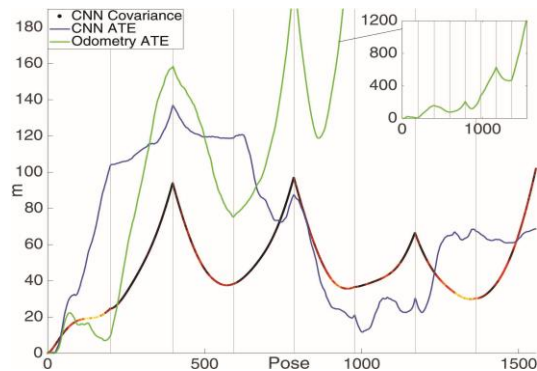
$$X_k^* = \arg \min_{X_k} \sum_{j=1}^{n_f} \log \det(\Sigma^j) + \sum_{j=1}^{n_f} \|h^j(X^j, z^j)\|_{\Sigma^j}^2$$

Results

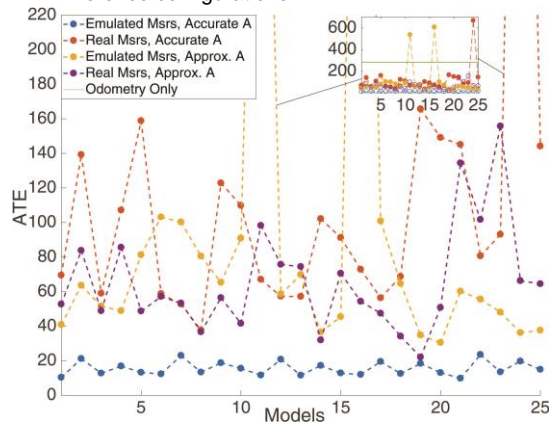
- Estimated trajectory



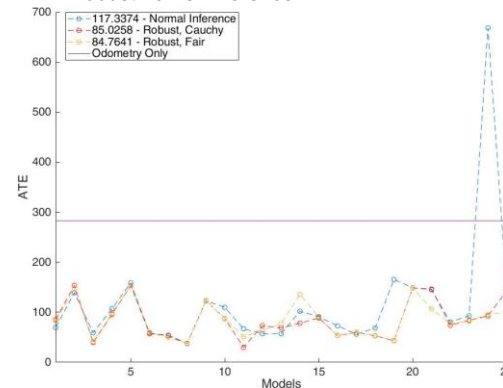
- Estimation error



- Total error for 25 trained models under various inference configurations:



- Robust kernel inference



Conclusions

- State information can be recovered from DL-learned measurement likelihood
- The likelihood estimation was very rough
- Gaussian assumption is unrealistic
- Can we do better? (DeepPDF**)

** D. Kopitkov and V. Indelman, "Deep PDF: Probabilistic Surface Optimization and Density Estimation," arXiv preprint arXiv:1807.10728, 2018.